



W → wind    WS & WD

A = TAS & MH

B = GS & MC

Note: Wind Direction is reported from its heading  
180°

$$A + W = B$$

$$\textcircled{1} \quad TAS \cos(MH) + WS \cos(WD) = GS \cos(MC)$$

$$\textcircled{2} \quad TAS \sin(MH) + WS \sin(WD) = GS \sin(MC)$$

$$GS = \frac{1}{\cos(MC)} [TAS \cos(MH) + WS \cos(WD)]$$

Sub into  $\textcircled{2}$

$$\frac{TAS \sin(MH) + WS \sin(WD)}{TAS \cos(MH) + WS \cos(WD)} = \frac{\sin(MC)}{\cos(MC)}$$

$$TAS \cos(MH) + WS \cos(WD) \quad \swarrow \quad \cos(MC)$$

$$TAS \sin(MH) \cos(MC) + WS \sin(WD) \cos(MC) =$$

$$TAS \cos(MH) \sin(MC) + WS \cos(WD) \sin(MC)$$

$$WS \sin(WD) \cos(MC) - \underbrace{WS \cos(WD) \sin(MC)}_{\substack{A \\ TAS}} =$$

$$TAS [\cos(MH) \sin(MC) - \sin(MH) \cos(MC)]$$

$$\sin(S-t) = \sin s \cos t - \cos s \sin t$$

$$A = TAS \sin(MC - MH)$$

$$\sin(MC - MH) = \frac{A}{TAS} \quad \rightarrow \quad MC - MH = \sin^{-1}\left(\frac{A}{TAS}\right)$$

$$\rightarrow \quad MH = MC - \sin^{-1}\left(\frac{A}{TAS}\right)$$